Lecture 22: PHARMACY CALCULATIONS for Technicians Preparing Injectable Medications

#### **Coursework 103**





## PHARMACY CALCULATIONS for Technicians Preparing Injectable Medications

This chapter provides an overview of how to determine volume and calculate the quantity of a drug.



- I. Intramuscular and Subcutaneous Injections Calculating the Volume of an Injectable Solution Calculating the Quantity of Drug in an Injectable Solution Calculating Ratio Strength
- A. Intramuscular and Subcutaneous Injections
  - 1. Injection is a method of administering medications in which a syringe with a needle or cannula is used to penetrate through the skin or membrane into tissue.



- I. Intramuscular and Subcutaneous Injections
- **B.** Terms to Remember
  - 1. Infusion the administration of a large volume of liquid medication given parenterally over a long period.
  - 2. Parenteral administered by injection and not by way of the gastrointestinal system.
  - 3. There are three types of injections:
    - a. Subcutaneous (SC)
    - b. Intramuscular (IM)
    - c. Intravenous (IV)



- I. Intramuscular and Subcutaneous Injections
  - 4. Terms to Remember
    - a. <u>subcutaneous injection</u> an injection given into the vascular, fatty layer of tissue under the skin
    - b. <u>intramuscular injection</u> an injection given into the muscle tissue
    - c. intravenous infusion the injection of fluid into the veins



- I. Intramuscular and Subcutaneous Injections
- C. Subcutaneous Injections
  - 1. Given at a 45-degree angle
  - 2. 25 or 26 gauge needle, 3/8 to 5/8 inch length
  - 3. No more than 1.5 mL should be injected into the site to avoid pressure on sensory nerves causing pain and discomfort.
- **D.** Intravenous Injections
  - 1. Intravenous (IV) injections are administered at a 15 to 20 degree angle



- I. Intramuscular and Subcutaneous Injections
- E. Intramuscular and Subcutaneous Injections
  - 1. Medications given by injection are often ordered by milligram, and the pharmacy or nursing staff must select and prepare an appropriate concentration of medication from available stock.
  - 2. The calculation is similar to the method used for calculating liquid oral solutions.



- I. Intramuscular and Subcutaneous Injections
- F. Calculating the Volume of an Injectable Solution
  - 1. An important job of the pharmacy staff
  - 2. Use the ratio-proportion method or dimensional analysis method
  - 3. When a small volume (less than 20 mL) is administered, round to the nearest hundredth
  - 4. Larger volumes are rounded to the tenth or whole milliliter



- I. Intramuscular and Subcutaneous Injections
- G. Volume Example



- 1. How many milliliters of the medication shown in this label must be prepared to provide 25 mg of medication to a patient?
  - a. Solution 1: Using the ratio-proportion method,

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#### a. Solution 1: Using the ratio-proportion method,

 $\frac{x \text{ mL}}{25 \text{ mg}} = \frac{1 \text{ mL}}{50 \text{ mg}}$  $x \text{ mL} = \frac{(25 \text{ mg}) \times 1 \text{ mL}}{50 \text{ mg}} = 0.5 \text{ mL}$ 

b. Solution 2: Using the dimensional analysis method,

$$25 \text{ mg} \times \frac{1 \text{ mL}}{50 \text{ mg}} = 0.5 \text{ mL}$$



- I. Intramuscular and Subcutaneous Injections
- H. Calculating the Quantity of Drug in an Injectable Solution
  - 1. Ratio-proportion and dimensional analysis methods can be used to determine the amount of a drug in an injectable solution.
  - 2. Quantity Example







- 3. How many milligrams of medication are in 6 mL of the solution shown in this label?
  - a. Solution 1: Using the ratio-proportion method,

$$\frac{x \text{ mg}}{6 \text{ mL}} = \frac{20 \text{ mg}}{2 \text{ mL}}$$
$$x \text{ mg} = \frac{(6 \text{ mL}) \times 20 \text{ mg}}{2 \text{ mL}} = 60 \text{ mg}$$

b. Solution 2: Using the dimensional analysis method,

$$6 \text{ mL} \times \frac{20 \text{ mg}}{2 \text{ mL}} = 60 \text{ mg}$$



- Calculating Ratio Strength
- 1. a:b is read as "a to b"
- 2. Means there are (a) parts of a pure drug in (b) parts of a liquid solution
- 3. Units are usually (a) grams: (b) milliliters
- 4. <u>A 1% solution could be written as 1:100, and the</u> <u>units would be 1 g:100 mL</u>



- 5. Terms to Remember
  - a. ratio strength a means of describing the concentration of a liquid medication based on a ratio such as (a) grams: (b) milliliters
- 6. Ratio Strength Example
  - a. How many milliliters are needed to provide 20 mg of a drug if the solution available is 1:500?



## I. Intramuscular and Subcutaneous Injections Begin by converting 20 mg to 0.02 g.

i. Solution 1: Using the ratio-proportion method,

$$\frac{x \text{ mL}}{0.02 \text{ g}} = \frac{500 \text{ mL}}{1 \text{ g}}$$
$$x \text{ mL} = \frac{(0.02 \text{ g}) \times 500 \text{ mL}}{1 \text{ g}} = 10 \text{ mL}$$

ii. Solution 2: Using the dimensional analysis method,

$$0.02 \text{ g} \times \frac{500 \text{ mL}}{1 \text{ g}} = 10 \text{ mL}$$



- I. Intramuscular and Subcutaneous Injections
- J. Problem Set Drug Labels (Page 151-152 Calculate the quantity of drug in the injectable solution using the provided vial labels.)

Problem 1: How many milliliters of solution are needed to provide 50 mg of lidocaine?

**Problem 8:** 

How many milliliters of solution are needed to provide 250 mg of Ampicillin?



#### Problem 11: How many milligrams of Ketorolac are contained in 0.5 mL?

#### Problem 13:

How many milligrams of Lidocaine HCl are contained in 3.75 mL?



- **II. Other Units of Measure**
- A. Calculating Milliequivalents/Calculating Units
  - 1. Although most medications are dosed using the metric system (milligrams or grams), some medications are calculated using other units of measure.
  - 2. Examples:
    - a. Salts, proteins
    - b. Insulin
    - c. Penicillin V
    - d. Heparin





- **B. Calculating Milliequivalents** 
  - 1. Many fluids contain dissolved mineral salts, electrolytes.
  - 2. Electrolytes conduct a charge through the solution when they are connected to electrodes.
  - 3. Measured by milliequivalents, which are related to molecular weight



- 4. Terms to Remember
  - a. Electrolytes substances such as mineral salts that carry an electrical charge when dissolved in a solution
  - Atomic weight the weight of a single atom of an element compared to the weight of a single atom of hydrogen
  - c. Molecular weight the sum of the atomic weights of all atoms in one molecule of a compound



- d. Millimole (mM) molecular weight expressed in milligrams
- e. Milliequivalent (mEq) the ratio of the weight of a molecule to its valence, used to measure the concentration of electrolytes in a volume of solution; also an amount of medication that will provide the patient with a specific amount (equivalent amount) of an electrolyte



f. mEq - the ability of a molecule to bond, as indicated by its positive or negative charge; represented by a superscript plus or minus sign next to an element's chemical symbol

$$mEq = \frac{molecular weight}{valence}$$





- **C.** Calculating Milliequivalents
  - 1. Examples of valence: Na+, Cl–, or Ca++
  - 2. Most commonly plus or minus 1, 2, or 3





- 3. You might be asked to add 28 mEq of sodium chloride to an IV bag. This would require calculating the amount of milliliters of Sodium chloride solution to add to the IV bag, given an available solution (such as 4 mEq/mL).
  - Calculations will involve determining the volume of a substance that has an electrolyte as its primary ingredient.



- 4. Milliequivalents Example 1
  - a. You need to add 44 mEq of Sodium chloride (NaCl) to an IV bag. Sodium chloride is available as a 4 mEq/mL solution. How many milliliters will you add to the bag?





i. Solution 1: Using the ratio-proportion method,

$$\frac{x \text{ mL}}{44 \text{ mEq}} = \frac{1 \text{ mL}}{4 \text{ mEq}}$$
$$x \text{ mL} = \frac{(44 \text{ mEq}) \times 1 \text{ mL}}{4 \text{ mEq}} = 11 \text{ mL}$$

ii. Solution 2: Using the dimensional analysis method,

$$44 \,\mathrm{mEq} \times \frac{1 \,\mathrm{mL}}{4 \,\mathrm{mEq}} = 11 \,\mathrm{mL}$$





- 5. Milliequivalents Example 2
  - a. You have been instructed to add 15 mL of sodium chloride to a patient's IV bag. Sodium chloride is available as a 4 mEq/mL solution, calculate how many milliequivalents of Sodium chloride will be in 15 mL of solution.



i. Solution 1: Using the ratio-proportion method,

 $\frac{x \text{ mEq}}{15 \text{ mL}} = \frac{4 \text{ mEq}}{1 \text{ mL}}$  $x \text{ mEq} = \frac{(15 \text{ mL}) \times 4 \text{ mEq}}{1 \text{ mL}} = 60 \text{ mEq}$ 

ii. Solution 2: Using the dimensional analysis method

$$15 \text{ mL} \times \frac{4 \text{ mEq}}{1 \text{ mL}} = 60 \text{ mEq}$$





- D. Calculating Units
  - 1. Insulin
  - 2. Heparin
  - 3. Corticotropin (ACTH)
  - 4. Factor VIII
  - 5. Penicillin
  - 6. Vitamins





- 7. Terms to Remember
  - Unit the amount of activity associated with a medication that has a biological impact on a patient
- 8. SAFETY NOTE: Do not abbreviate international units as IU or U. <u>Always write out "units."</u>





- 9. Insulin syringes are available in the following standard unit sizes:
  - a. <u>30 units</u>
  - b. <u>50 units</u>
  - c. <u>100 units</u>





### **II. Other Units of Measure** 10. Unit Calculation: Example 1

a. A patient is to receive a bolus (concentrated) dose of Heparin. If the dose is 7500 units and you have a 10mL vial that contains 5,000USP Units/mL, how many milliliters will you prepare?





i. Solution 1: Using the ratio-proportion method,

 $\frac{x \text{ mL}}{7500 \text{ units}} = \frac{1 \text{ mL}}{5000 \text{ units}}$ 

 $x \text{ mL} = \frac{(7500 \text{ units}) \times 1 \text{ mL}}{5000 \text{ units}} = 1.5 \text{ mL}$ 

ii. Solution 2: Using the dimensional analysis method,

7500 units  $\times \frac{1 \text{ mL}}{5000 \text{ units}} = 1.5 \text{ mL}$ 

b. SAFETY NOTE: <u>Only insulin syringes should be used</u> to administer or dispense insulin.



### **II. Other Units of Measure** 11. Unit Calculation: Example 2

a. A patient is to receive 32 units of regular insulin each morning before breakfast. Insulin comes in a 10mL vial, 100 units/mL concentration. How many milliliters will the patient receive with each dose? How many days will the vial last?



i. Part I: Calculate the volume the patient will receive with each dose by using either the ratio-proportion method or the dimensional analysis method.





#### Part I, Solution 1: Using the ratio-proportion method,

 $\frac{x \text{ mL}}{32 \text{ units}} = \frac{1 \text{ mL}}{100 \text{ units}}$  $x \text{ mL} = \frac{(32 \text{ units}) \times 1 \text{ mL}}{100 \text{ units}} = 0.32 \text{ mL}$ 

Part I, Solution 2: Using the dimensional analysis method,

32 units 
$$\times \frac{1 \text{ mL}}{100 \text{ units}} = 0.32 \text{ mL}$$





 ii. Part II: Using the volume per dose just calculated, determine the number of days a single vial will last. In this example, the patient takes a single dose a day.





Part II, Solution 1: Using the ratio-proportion method,

 $\frac{x \text{ days}}{10 \text{ mL}} = \frac{1 \text{ day}}{0.32 \text{ mL}}$  $x \text{ mL} = \frac{(10 \text{ mL}) \times 1 \text{ day}}{0.32 \text{ mL}} = 31.25 \text{ days, or } 31 \text{ days}$ 

Part II, Solution 2: Using the dimensional analysis method,

$$10 \text{ mL} \times \frac{1 \text{ day}}{0.32 \text{ mL}} = 31.25 \text{ days, or } 31 \text{ days}$$





- E. Discussion
  - 1. How might a prescriber write "four times daily" on a prescription or order?
    - a. Answer: q6 h or qid





## **II. Other Units of Measure**

#### F. Problem Set Drug Labels

(Problems 7-10, page 164)











Select the vial that is needed to fill each order with the required number of millequivalents of potassium chloride, and then calculate the volume to be withdrawn from the selected vial for the order.

- a. Add 14 mEq Potassium chloride to the patient's IV solution.
- b. Add 19 mEq Potassium chloride to the patient's IV solution.



- c. Add 27 mEq Potassium chloride to the patient's IV solution.
- d. Add 50 mEq Potassium chloride to the patient's IV solution.





## **II. Other Units of Measure**

(Problems 13 and 14, page 165)



(Problem 21 and 26, page 166)

Lovenox <sup>®</sup> (enox	aparin sodium injection) <b>R</b> ONLY ==
	80mg/0.8mL [100mg/mL]
Lot	Exp NDC 0075-0622-80
	sanofi-aventis U.S. LLC ≡ 50081229 −≡





### **III. Solutions Using Powders**



- A. In preparing solutions, the active ingredient is discussed in terms of weight, but it also occupies a certain amount of space.
  - 1. This space is referred to as the powder volume (pv).



- 2. Terms to Remember
  - a. powder volume (pv) the space occupied by dry pharmaceuticals, calculated as the difference between the final volume and the volume of the diluting ingredient, or the diluent volume; the amount of space occupied by lyophilized (freezedried) medication in a sterile vial, used for reconstitution



- 3. Solutions Using Powders
  - a. <u>powder volume = final volume diluent volume</u>

or pv = fv - dv





4. Powder Volume: Example 1

A dry powder antibiotic must be reconstituted for use. The label states that the dry powder occupies 0.5 mL. Using the formula for solving the powder volume, determine the diluent volume. You are given the final volume for three different examples below with the same powder volume.



Final Volume	Powder Volume
2 mL	0.5 mL
5 mL	0.5 mL
10 mL	0.5 mL

dv = fv - pv(1) dv = 2 mL - 0.5 mL = 1.5 mL(2) dv = 5 mL - 0.5 mL = 4.5 mL(3) dv = 10 mL - 0.5 mL = 9.5 mL





5. Powder Volume: Example 2 You are to reconstitute 1 g of dry powder. The label states that you are to add 9.3 mL of diluent to make a final solution of 100 mg/mL. What is the powder volume?





- a. Step 1. Calculate the final volume. The strength of the final solution will be 100 mg/mL. Since you start with 1 g = 1000 mg of powder, for a final volume x of solution, it will have strength 1000 mg/x mL.
  - i. Solution 1: Using the ratio-proportion method,





ii. Solution 2: Using the dimensional analysis method,

 $1000 \text{ mg} \times \frac{1 \text{ mL}}{100 \text{ mg}} = 10 \text{ mL}$ 

ii. Final Step. Using the calculated final volume and the given diluent volume, calculate the powder volume.

pv = fv - dvpv = 10 mL - 9.3 mL = 0.7 mL

